

Formulario delle aree

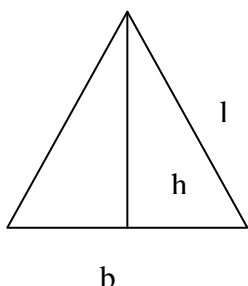
Triangolo

b = base,

h = altezza,

l = lato,

A = area, $2p$ = perimetro



Formule dirette	Formule inverse
$2p = b + l + l$	
$A = \frac{b \cdot h}{2}$	$b = \frac{A \cdot 2}{h}$ $h = \frac{A \cdot 2}{b}$

Quadrato

l = lato,

A = area, $2p$ = perimetro



Formule dirette	Formule inverse
$2p = 4 \cdot l$	$l = \frac{2p}{4}$
$A = l^2$	$l = \sqrt{A}$

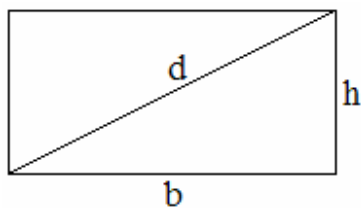
Rettangolo

b = base,

h = altezza,

A = area, $2p$ = perimetro,

p = semiperimetro



Formule dirette	Formule inverse
$2p = 2 \cdot (b + h)$	$p = b + h$ $b = p - h$ $h = p - b$
$A = b \cdot h$	$b = \frac{A}{h}$ $h = \frac{A}{b}$

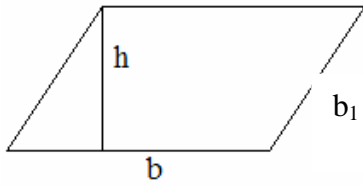
Parallelogramma

b = base, b_1 = lato,

h = altezza,

A = area, $2p$ = perimetro,

p = semiperimetro



<i>Formule dirette</i>	<i>Formule inverse</i>
$2p = 2 \cdot (b + b_1)$	$p = b + b_1$ $b = p - b_1$ $b_1 = p - b$
$A = b \cdot h$	$b = \frac{A}{h}$ $h = \frac{A}{b}$

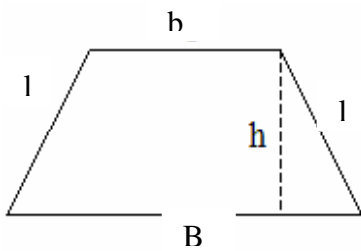
Trapezio

b = base minore,

B = base maggiore,

h = altezza,

A = area, $2p$ = perimetro



<i>Formule dirette</i>	<i>Formule inverse</i>
$2p = B + b + l + l$	
$A = \frac{(B + b) \cdot h}{2}$	$B + b = \frac{A \cdot 2}{h}$ $h = \frac{A \cdot 2}{B + b}$

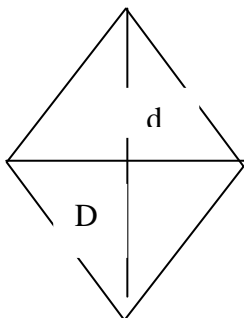
Rombo

d = diagonale minore,

D = diagonale maggiore,

l = lato,

A = area, $2p$ = perimetro



<i>Formule dirette</i>	<i>Formule inverse</i>
$2p = 4 \cdot l$	$l = \frac{2p}{4}$
$A = \frac{D \cdot d}{2}$	$d = \frac{A \cdot 2}{D}$ $D = \frac{A \cdot 2}{d}$